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Part 1: Efficient Domain-Specific Tool Development for UPPAAL via Model-Driven Engineering



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26 September 2017









Bridging tools

- Typical process:
 - Input domain-specific language (DSL)
 - Translate to general-purpose model (e.g. UPPAAL timed automata)
 - Run general-purpose analysis.
 - Translate result back to domain.
- alysis.

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- Disadvantages of ad-hoc translations:
 - General language (Java, etc.)
 - ► Little/no documented structure of models.
 - Closely tied to specific versions/features.

Benefits of MDE

- Interoperability
 - Model transformations facilitate combinations of domains and tools.
- Reusability
 - Metamodels can be reused by different tools in the same domain.
 - Downstream transformations can be reused across domains.
- Faster development
 - Domain experts can focus on the domain.
 - Transformation and metamodeling languages are specific-purpose.





Model-Driven Development (MDE)

- Have models as first-class citizens.
- Metamodels provide syntax and documentation of models.
- Model transformations in purpose-specific languages (Epsilon, etc.)
- ► Validation/constraints help in debugging and documentation.



Model transformations

- Transform one (metamodel-described) model to another.
- Transformation languages have specific constructs for model concepts.



Model transformation: Example

```
rule Base
     transform at : AFT!AttackTree to out : Uppaal!NTA
{
     out.systemDecl = new Uppaal!SystemDeclarations();
     out.systemDecl.system = new Uppaal!System();
     for (node : AFT!Node in at.Nodes) {
          var converted = node.equivalent();
          out.template.add(converted.get(0));
     }
}
rule andGate transform node : AFT!Node to ret : List
ł
     guard : node.nodeType.isKindOf(AFT!AND)
. . .
```

Metamodels

- Describe syntax of a class of models.
- Object-oriented format (classes, attributes, etc.)
- Shown in UML-like syntax.
- Concrete models are instances of such a metamodel.



MDE in the steps of a front-end tool

- Domain expert produces domain-specific model in a metamodel.
- Domain-specific model is transformed to timed automata using a model transformation.
- Property of interest is specified in domain-specific language in a metamodel.
- Property is translated to UPPAAL query using a model transformation.
- UPPAAL checks query and possibly produces resulting trace.
- Trace is transformed back to domain-specific representation and presented supported by model transformations and metamodels.

UPPAAL metamodels: Timed automata



UPPAAL metamodels: Query



UPPAAL metamodels: Trace

- Counterexamples/witnesses produced by UPPAAL.
- Including parser for textual output.
- Links back to NTA for easy interpretation.



Example tool: Synchrononous dataflow graphs (SDF)

- ► Hardware-software co-design for streaming applications.
- ▶ Inputs: SDF graphs, hardware platform model, allocation model.
- ► Transform to UPPAAL CORA to obtain cost-optimal trace.
- ► Transform trace to domain-specific Schedule metamodel.
- Present schedule to user.



Example tool: Attack/Fault Trees

- Converter and analyzer for many variants of fault and attack trees.
- Originally only for ATs.
 - MDE made it easy to extend to FTs and combinations.
- Supports inputs from 4 different tools.
- Outputs to 6 tools, not counting three variants of UPPAAL.



► Key: Single unified metamodel for attack & fault trees.

- Model-driven engineering framework for front-end tools for UPPAAL.
- Metamodels and transformations provide structure.
 - Easier to debug, extend, maintain, etc.
- Promotes reuse and interoperability between domains.
- Formals methods have helped software engineering, now let software engineering help you!
- Metamodels available at https://github.com/utwente-fmt/uppaal

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Part 2: Importance sampling for dynamic fault trees







Our contribution in a nutshell

Many frameworks can provide quantitative dependability analysis.

- We use dynamic fault trees.
- Compute system availability, reliability, MTTF, etc.

Complex systems are computationally difficult to analyze:

- Complex \rightarrow analytic approaches are memory-intensive.
- ▶ Rare failures → Monte Carlo simulation requires many samples.

Our solution: rare event simulation (through importance sampling)

- Make rare events more likely.
- Compensate the final result.
- Automatically.

Comparison of RES techniques

Splitting	Sampling	
Requires formalization of distance	Requires specification of 'rare' transitions	
Changes simulation engine	Changes system under simulation	
Good for rare events of many steps	Good for rare event of few steps	
Limit case: fewer runs needed	Limit case: only one run needed	

We use importance sampling as our system reaches the rare event after only a few, low-probability transitions. Such models provide few points to split the samples.

DFT example



Path-ZVA algorithm

Importance sampling algorithm for cyclic Markovian models.

Divides states into three categories:

- 'Perfect' states reached frequently.
- 'Bad' states reached rarely.
- 'Connecting' states inbetween.

Estimates:

- Probability of reaching 'bad' states before returning to 'perfect' states.
- Fraction of time spend in 'bad' states.

Transition rates parameterized as $r \cdot \epsilon^n$ with $0 < \epsilon << 1$ to indicate 'rareness'.

Applying Path-ZVA to DFTs

 $\lambda = 2\epsilon^1$

 $\lambda = \epsilon^0$

 s_4

Basic idea: Compute state space on-the-fly.

 s_0

- Path-ZVA stores the subset of states in dominant paths.
- All other states only generated as reached, and not stored.

 $\lambda = 3\epsilon^2$

 $\lambda = \epsilon^0$

 $\lambda = \epsilon^0$

 s_1

 $= 2\epsilon^1$

 $\lambda = \epsilon^0$

 s_2

 $= 2\epsilon^1$

 s_3

Results: Accuracy

Exact result for DFTCalc, 95% confidence for others:

100		6	Unavailability		
1	N	Ρ	DFTCalc	FTRES	MC
	1	1	$2.18303 \cdot 10^{-10}$	$[2.182; 2.184] \cdot 10^{-10}$	
đ	4	1	$2.22979 \cdot 10^{-10}$	$[2.229; 2.230] \cdot 10^{-10}$	$[0; 2.140] \cdot 10^{-8}$
Ē	1	2	$1.76174 \cdot 10^{-20}$	$[1.761; 1.763] \cdot 10^{-20}$	_
	4	2		$[1.257; 2.553] \cdot 10^{-20}$	-
2	Ν	k	DFTCalc	FTRES	MC
	1	1	$4.12485 \cdot 10^{-5}$	$[4.118; 4.149] \cdot 10^{-5}$	$[2.615; 10.64] \cdot 10^{-5}$
	2	1	1-1-	$[3.010; 3.061] \cdot 10^{-9}$	-7-95
ü	2	2	C/-/7	$[8.230; 8.359] \cdot 10^{-5}$	$[0; 1.734] \cdot 10^{-4}$
Ŧ	4	1	$\times - /$	$[1.328; 8.213] \cdot 10^{-17}$	
	4	2	2	$[1.145; 1.270] \cdot 10^{-12}$	K
	4	3	20-	$[1.744; 1.817] \cdot 10^{-8}$	
	4	4	-10-	$[1.609; 1.667] \cdot 10^{-4}$	39 -



FTRES always below DFTCalc maximal state space size.

FTRES computes results where DFTCalc does not.

Overall results: Speed



- Simulation time mostly dominates state-space exploration.
- Almost all DFTCalc experiments for HECS ran out of memory.

FTRes and MC spend a constant 5 mins. simulating.

Thank you for your attention.

Questions?